

HUMAN BIODYNAMIC MODELS FOR ROTORCRAFT COMFORT ASSESSMENT

Aykut Tamer, aykut.tamer@polimi.it, Politecnico Di Milano (Italia)
 Andrea Zanoni, andrea.zanoni@polimi.it, Politecnico Di Milano (Italia)
 Vincenzo Muscarello, vincenzo.muscarello@polimi.it Politecnico Di Milano (Italia)
 Giuseppe Quaranta, giuseppe.quaranta@polimi.it Politecnico Di Milano (Italia)
 Pierangelo Masarati, pierangelo.masarati@polimi.it, Politecnico Di Milano (Italia)

Abstract

This work shows how different occupant biodynamic modeling techniques are integrated in a rotorcraft design environment and discusses the resulting differences in comfort assessment. Three modeling techniques, that are used for biodynamic characterization, are considered: lumped parameter, finite element and multibody dynamics. These models are identified for the same gender, age, weight and height and then integrated into a virtual helicopter environment with a seat-cushion interface. A generic helicopter model is used to demonstrate the approach. For each of the three techniques, the vertical acceleration levels at the human-helicopter interface, as required by vibration regulations, and at the head are evaluated up to 30 Hz. At a first glance, it is observed that in terms of model set-up the lumped parameter is the easiest to implement. However, the use of lumped parameter models is limited to the population groups that they are identified from, and thus are not as flexible as the finite element and multibody ones in developing biodynamic models for individuals of an arbitrary population percentile. Furthermore, through numerical analysis it is found that the differences are not very significant in terms of accelerations at the interface. Therefore, for comfort related issues, the use of more complex models is not justified, unless complicated comfort assessments other than human interface accelerations are required. On the other hand, the spine dynamic can play a significant role when head acceleration is considered; therefore, when the head-neck health of occupants is considered, the sophisticated finite element and multibody dynamics models redeem their higher modeling cost and computation time.

1. INTRODUCTION

Vibrations in rotorcraft are defined as the oscillatory response of the airframe to time dependent loads. The predominant sources of vibration are the rotor forces and moments originating from the rotors, fuselage aerodynamics, engine and transmission. The resulting time dependent loads are transmitted to the fuselage, which excites the crew and occupants through their contact with the vehicle, usually the seat surface. In rotorcraft, vibrations can degrade the ride quality of the occupants and crew¹ and might even lead to chronic pain in the long-term². For this reason, the interest on rotorcraft

comfort assessment is increasing^{3,4}.

Helicopter ride-comfort is usually evaluated through flight tests, since measuring vibrations along with the effect of human body mechanical characteristics, i.e. biodynamics, is essential to achieve a realistic comfort assessment. However, this method is not always convenient, since only limited design improvements can be accommodated when the helicopter is ready for flight, and all the flight envelope needs to be analyzed. Therefore, engineers must mainly rely on computational tools, when analyzing the potential impact of their choices on the vibrational level of the helicopter. Albeit being standard, considering the bare mechanical properties of the vehicle one can only estimate the accelerations at selected cabin locations, and design the structure accordingly, neglecting the interaction with the human subjects. Since the physiological and psychological interaction of the vehicle with the human body dynamics may change the magnitude and perception of the accelerations, the resulting ratings likely deviate from reality. Therefore, comfort assessment should take into account advances in human-machine interaction modeling paradigms, starting from early design stages.

Standard methods exist for modeling and analy-

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sis of vehicles. Although helicopter analysis requires a multidisciplinary approach, thanks to the deterministic nature of mechanical systems the mechanical properties of the vehicle can be extracted, since engineering materials can be easily tested and extensively categorized. As a result, mature vehicle comprehensive analysis tools exist, which are available and widely used by all the manufacturers⁵. On the other hand, the mechanical properties of living subjects cannot be standardized and their mechanical properties vary from within the population; even for the same subject, properties differ within the same body and can change with time⁶ and according to posture⁷. However, no dedicated technique exists for human biodynamic modeling; the same computational tools are adopted, with averaged or parametrized data⁸.

Techniques for biomechanical modeling are categorized into Lumped-Parameter (LPM), Finite Element (FEM), and multibody (MBD) models⁹. Lumped parameter modeling (LPM) use basic mechanical elements such as masses, dampers and springs, to model the dynamics of the human body. Thanks to its low computational cost and ease of parameter identification, LPM is very common in human biodynamics modeling for comfort assessment. Since the core of lumped parameter modeling is system identification of a mechanical system with a weak physical analogy to the human body, there is no single solution, and the number of available models is large. The second one, FEM, is particularly useful than LPM for the analysis of vibration effects on isolated human organs such as the spine¹⁰, since the flexibility of modeling and the resolution of the output is far richer. However, the computational cost is higher, and identification of human mechanical properties with experiments is more complex as compared to LPM; moreover, handling of rigid body motion is somewhat limited. The FEM model is primarily used to define Component Mode Synthesis models of the vibrational behavior of the spine, by means of eigenanalysis. The last one, multibody dynamics (MBD), is a good alternative for biodynamic analysis, considering its great ability to model joints and nonlinear elements¹¹. MBD adds flexibility to LPM with the ease of constraint formulation, and can approach the capabilities of FEM with the formulation of flexible elements. Furthermore, multibody modeling can capture effects related to nonlinearities, especially those originating from 3D geometry, with ease.

In order to answer the increasing demand for rotorcraft comfort assessment during the design phase, a computational framework is necessary. Since there is no standard for biodynamic modeling, the rotorcraft industry needs guidelines for the

proper choice of the biodynamic modeling techniques. Therefore, a comparative study of the biodynamic modeling techniques in the presence of a coupled human-helicopter environment is required. This work addresses such need using a high-fidelity virtual aeroservoelastic modeling environment. The biodynamics along the vertical axis, modeled using lumped parameter, finite element and multibody models, are integrated into a helicopter modeling environment. The acceleration levels resulting from vibrations produced by main rotor vibratory loads in the presence of helicopter aeromechanics are compared.

2. METHOD

This section describes the aeroservoelastic modeling environment and how human biodynamic and interface models can be integrated to a high-fidelity aeroservoelastic rotorcraft model.

2.1. Virtual Helicopter Model

Analyzing biodynamic models of different origin coupled to helicopter dynamics is a demanding task. A successful tool is expected to:

- be flexible in the source of sub-component formulation, to support accurate computation of vibratory loads;
- provide high-fidelity overall virtual modeling through sub-component assembly, hence allowing all possible load-paths are considered;
- have the capability of defining forces acting between arbitrary structural points, to input loads calculated by external sources and feedback the biodynamic forces;
- support arbitrary sensor definition compatible for mounting human biodynamic models and interfaces, without the need to reassemble the whole model.

MASST (Modern Aeroservoelastic State Space Tools), a tool developed at Politecnico di Milano, satisfies all the above criteria. It analyzes compact, yet complete modular models of linearized aeroservoelastic systems^{12,13}. In MASST, rotorcraft subcomponents are collected from well-known, reliable and state-of-the-art sources, and cast into state-space form using the Craig-Bampton Component Mode Synthesis (CMS)¹⁴, an effective substructuring approach. This approach is crucial to formulate the helicopter subcomponents (rotors, airframe etc.) in

their most suitable platform and compose the overall model. In MASST, the assembled model is cast into a quadruple of matrices \mathbf{A} , \mathbf{B} , \mathbf{C} , \mathbf{D} that define a state-space system:

$$(1a) \quad \dot{\mathbf{x}} = \mathbf{A}\mathbf{x} + \mathbf{B}\mathbf{f}$$

$$(1b) \quad \mathbf{y} = \mathbf{C}\mathbf{x} + \mathbf{D}\mathbf{f}$$

where vector \mathbf{x} contains the states of the system, \mathbf{y} is the system output, \mathbf{f} includes the inputs. MASST interpolates the state-space model matrices in a generic configuration within the corresponding linear models evaluated in the space of prescribed parameters. In the Laplace domain, the model produces the input-output relationship:

$$(2) \quad \mathbf{y}(s) = [\mathbf{C}(s\mathbf{I} - \mathbf{A})^{-1}\mathbf{B} + \mathbf{D}] \mathbf{f}(s) = \mathbf{G}(s)\mathbf{f}(s).$$

2.2. Coupling Helicopter and Subjects

A virtual helicopter model gives the necessary insight into the dynamic behavior of the vehicle itself, but may fail in the vibration rating of the coupled vehicle-interface-subject system. The interface between the human subjects and the vehicle feeds the subjects' dynamic forces and moments induced by vibrations back into the airframe, which might affect the magnitude of the induced acceleration.

The combined effect of human biodynamics, of seat dynamics and helicopter aeromechanics can only be accurately evaluated using a relatively high-fidelity vehicle model. However, since the mechanical characteristics of a human body change significantly from subject to subject and even within a single subject, and biodynamic models show great diversity, it is required to analyze a broad number of models of variable complexity and large population groups. Therefore, the cost associated with re-assembling a detailed model of the entire vehicle with a plethora of human biodynamics models is often not affordable. For this reason, an effective method could take advantage of a platform for high-fidelity aeroservoelastic modeling of rotorcraft, which allows the vibration engineer to modify the dynamics of the baseline plant by adding detailed human feedback models, without the need to re-assemble the coupled model when the biodynamic properties change.

MASST can export models and proper force-sensor relationships such that any human body can be added as a feedback element that operates from the output of virtual sensors and produces the resulting forces as inputs. For this purpose, it is sufficient to define specific input and output signals in the virtual helicopter model to create the feedback path within the device. According to Fig. 1:

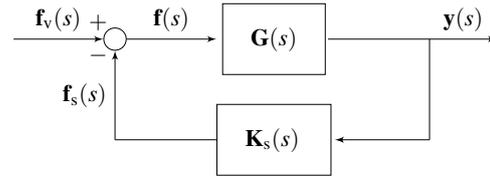


Figure 1: Block diagram representation of the base vehicle, \mathbf{G} , and subject feedback, \mathbf{K}_s .

- the input for the virtual helicopter model is defined as the vibratory forces (or moments) \mathbf{f}_v , acting on any airframe point and/or on the rotors;
- the output \mathbf{y} of the virtual helicopter model is chosen as the sensors of position, velocity, and acceleration of any airframe point (or rotor point in multiblade coordinates); thus, it is a (linear) function of the state and input of the model;
- the subjects create a feedback (negative feedback is preferred, to use the same convention of flight control design) loop between the sensors corresponding to the motion and the forces exerted by the subjects, \mathbf{f}_s , at their attachment points,

$$(3) \quad \mathbf{f}_s(s) = \mathbf{K}_s(s)\mathbf{y}(s)$$

such that the total force can be expressed as $\mathbf{f} = \mathbf{f}_v - \mathbf{f}_s$; both force vectors have the same sequence of elements. The transfer matrix \mathbf{K}_s represents the synthesis of the human and interface model state-space representation.

Then, the response of the modified system is obtained as:

$$(4) \quad \mathbf{y} = (\mathbf{I} + \mathbf{G}\mathbf{K}_s)^{-1} \mathbf{G}\mathbf{f}_v$$

where matrix \mathbf{G} is the dynamic compliance matrix of the MASST high fidelity tool, ($\mathbf{y} = \mathbf{G}\mathbf{f}_v$ is the output of the baseline virtual helicopter model, with $\mathbf{K}_s = \mathbf{0}$). The gain matrix \mathbf{K}_s can be easily defined using force-response relationships of the attached human vibration or interface model.

Whichever technique is preferred, the human biodynamic and interface models should be put in state-space form in order to be compatible with MASST. In other words:

$$(5) \quad \dot{\mathbf{x}}_s = \mathbf{A}_s\mathbf{x}_s + \mathbf{B}_s\mathbf{y}$$

$$(6) \quad \mathbf{f}_s = \mathbf{C}_s\mathbf{x}_s + \mathbf{D}_s\mathbf{y}$$

in which vector \mathbf{x}_s contains the (possibly hidden) internal state of the subjects, \mathbf{A}_s , \mathbf{B}_s , \mathbf{C}_s , \mathbf{D}_s are the

state-space matrices. The state-space form can be made more compact by directly using the transfer functions between the problem-specific inputs and outputs:

$$(7) \quad \mathbf{K}_s(s) = \mathbf{C}_s(s\mathbf{I} - \mathbf{A}_s)^{-1}\mathbf{B}_s + \mathbf{D}_s.$$

3. OCCUPANT BIODYNAMIC MODELING

This section describes the biodynamic modeling techniques, discusses how the mechanical properties of the human body are identified and details the biodynamic models compared in Section 4. The sitting person resting on a seat is preferred, since it is the usual posture of helicopter passengers and crew. For all biodynamic models, a seat and cushion is adapted from a helicopter application¹⁵, in which they are described as a mass suspended by a spring and damper, as sketched in Fig. 2, with data given in Table 1.

Table 1: Numerical values for the seat-cushion model.

	m_i (kg)	c_i (N s m ⁻¹)	k_i (kN m ⁻¹)
Seat	13.5*	750.00*	22.6*
Cushion	1.0 [†]	159.00*	37.7*

*From Ref.¹⁵; [†]assumed

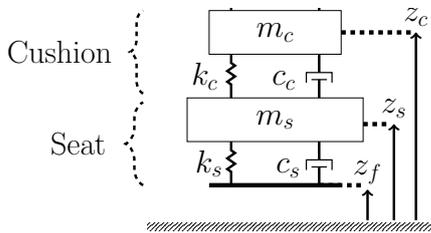


Figure 2: Cushion and seat model, providing interface between cabin floor and human body

3.1. Lumped Parameter Model

The lumped parameter model (LPM) idealizes the human body as a set of lumped masses connected by springs and dampers. A LPM can range from a single body, representing the mass of the subject, to multidegrees of freedom models including feet and hands. However, increasing the degrees of freedom is of little help to increase accuracy of whole body vibration estimation¹⁶; four degrees of freedom (4DOF) models provide a sufficient number of parameters for effective fitting.

Among 4DOF LPMs, for the purpose of the present work the apparent masses of six models

are compared in Fig. 3, based on the parameters provided in literature¹⁶. The apparent mass is the ratio of the applied periodic excitation force to the resulting vibration acceleration. It can be observed that the models provide similar levels of apparent mass, and none provides distinctive characteristics. Therefore, all these models are suitable for a LPM biodynamic input. However, among them the Boileau-Rakheja¹⁷ one provides the mass, weight, height, and gender of the group the LPM is defined for. Since this parameterization is necessary for finite element and multibody models, the Boileau-Rakheja model is selected as the LPM human biodynamic model of reference. The Boileau-Rakheja model is composed of four masses with interconnecting spring and dampers as shown in Fig. 4 resting on the previously mentioned seat and cushion model. The average of the experiment population, with age=27.3, height=175.7 cm, total mass=75.4 kg, sitting mass=55.5 kg, is considered in this work, having the LPM parameters reported in Table 2.

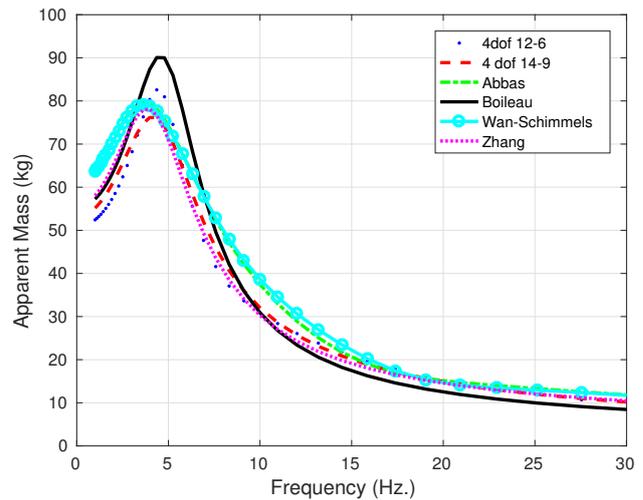


Figure 3: Apparent Mass comparison of 4 degree of freedom lumped parameter models available in literature¹⁶

Table 2: Numerical values for the Boileau-Rakheja Model¹⁷. The data reflect a population with following average values: age=27.3, height=175.7 cm, total mass=75.4 kg, sitting mass=55.5 kg

Index	m_i (kg)	c_i (N s m ⁻¹)	k_i (kN m ⁻¹)
i=h	5.31	400	310
i=t	28.49	4750	183
i=v	8.62	4585	162.8
i=a	12.78	2064	90

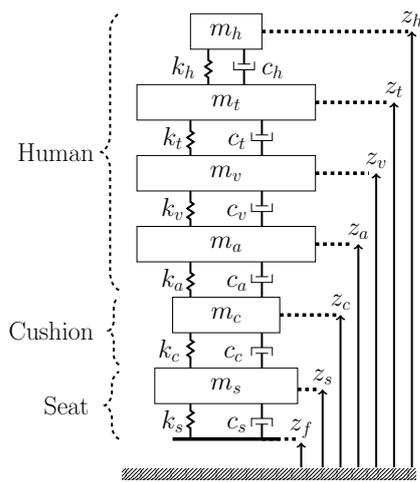


Figure 4: Boileau-Rakheja lumped pilot model¹⁷, resting on the seat-cushion model.

3.2. Finite Element Model

A finite element model of a sitting human has been originally developed, following the works of Kitazaki and Griffin^{10,18}, which in turn was based on one by Belytschko¹⁹. The dynamic behavior of the spine is represented section-wise, each section consisting of the corresponding vertebra. In total, 25 vertebral components are taken into account. To them, elements representing the head, buttocks, visceral masses and pelvic masses, including a portion of the mass of the thighs, are added. The original model of Kitazaki and Griffin is limited to the planar behavior in the sagittal plane, whereas the present model, developed in NASTRAN, has been extended to comprehend the complete 3D behavior of the spine. Each vertebral section is modeled by a rigid body, freely allowed to move relative to the other vertebrae. Viscoelastic 6D elements connect the vertebrae nodes, following an approach suggested by Valentini and Pennestrì²⁰. 8 Visceral masses are connected to the corresponding vertebrae, in sections from T11 to S1. Only relative displacement degrees of freedom are allowed between viscerae and the corresponding vertebrae, since the former are represented by point masses.

The isolated spine is connected to the seat by viscoelastic elements representing the buttocks tissue. The relative degrees of freedom allowed, with respect to S1, are: vertical displacement and rotations in the sagittal and coronal planes. More details on the modeling choices for this part of the model, very important for comfort analysis, are reported in the following section. The MBD and FEM model pelvic area are modeled in the same manner.

NASTRAN, the FEM tool used in this analysis, al-

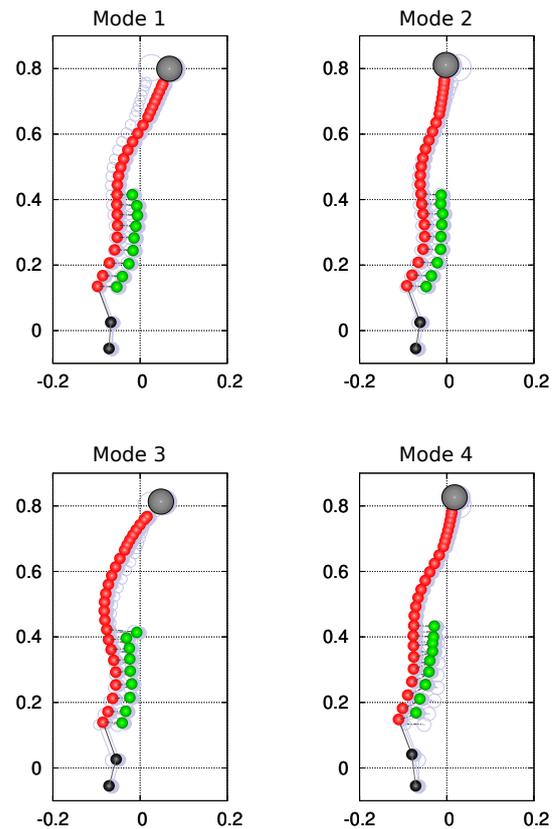


Figure 5: Representation of the modal shapes of the first four spine eigenmodes, as obtained by the FEM model.

lows to directly extract the FRF at the frequencies of interest. Therefore, the FEM model is expressed in the form of Eq. 6. The same human parameters that of LPM is used for scaling mechanical properties: age=27.3, height=175.7 cm, total mass=75.4 kg, sitting mass=55.5 kg.

3.3. Multibody Dynamics Model

The multibody model is structured in a similar way with respect to the FEM one as shown in Fig. 6. The MB model is developed using MBDyn²¹, a free, general-purpose multibody solver developed at Politecnico di Milano*. It incorporates concepts first developed in the works of Kitazaki and Griffin¹⁰, Belytschko¹⁹, and Valentini and Pennestrì^{22,23,20}. It was initially developed for rotorcraft-pilot coupling analysis²⁴. The model includes 34 rigid bodies associated with the sections of the trunk corresponding to each vertebra from C1 to S1, and to 8 visceral masses. Relative displacements between each vertebral node are allowed only in the local z direction, assumed to lie in the local tangent direction to the spine axis. Relative displacement in the x direction,

*<http://www.mbdyn.org/>, last retrieved in August 2018.

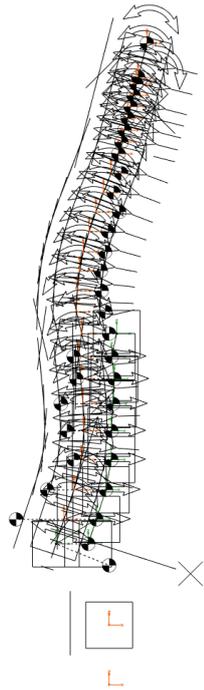


Figure 6: The multibody model.

i.e. the anatomical antero-posterior direction, and in the y direction, corresponding to the anatomical medio-lateral direction, are constrained.

Vertebrae are interconnected by linear viscoelastic elements, acting on all the remaining, unconstrained degrees of freedom. Visceral masses are also connected to the corresponding vertebrae, from T11 to S1, and between them, through linear viscoelastic elements.

Other lumped masses are placed in correspondence to centers of the shoulder girdles, of the head and of the pelvis. The latter comprises also a third of the mass of the thighs. The pelvic area modeling is completed by the introduction of a mass and a viscoelastic element representing the buttocks. As in the FEM model, the node representing the buttock degrees of freedom is constrained as to allow only the vertical relative displacement with respect to S1 and the rotations in the sagittal and the coronal plane.

The nonlinear MBDyn model is transformed in the form of Eq. (6) by performing a direct time integration while excited by a pseudo-random acceleration signal with band-limited Power Spectral Density (PSD) in the frequency interval of interest. The signal is imposed to the floor node for a simulated experiment and converted to the frequency domain after applying a Fast Fourier Transform. The same human parameters that of LPM is used for scaling mechanical properties: age=27.3, height=175.7 cm,

total mass=75.4 kg, sitting mass=55.5 kg.

3.4. Scaling of model parameters

The parameters of the LPM are identified based on the results of an average of a given population¹⁷. Since the LPM is the fitting of a given model structure from experimental data, there is no alternative way to characterize it. However, for FEM and MBD techniques, the body parts, especially the spine, are built from basic elements representing bones and fleshes. Therefore, for FEM and MBD, the structural properties of the building blocks of the body can be determined and used to construct the model. However, since the mechanical properties of these building blocks vary from person to person, FEM and MBD techniques still require a statistical parametrization, usually based on data available from corpses.

Reference values of the model inertial and viscoelastic parameters are taken from Kitazaki and Griffin¹⁰ and Valentini and Pennestrì²⁰. In particular, values of the intervertebral and vertebra-viscera stiffnesses in the sagittal plane are taken from the former work, while reference values for stiffnesses in the other direction are taken from the latter one. The damping values are taken from Valentini and Pennestrì for the intervertebral elements, while for elements connecting viscerae to vertebrae and viscerae to viscerae the damping values are considered directly proportional, with a coefficient of 0.1, to the corresponding stiffnesses. These latter are also taken from Kitazaki and Griffin, together with the reference inertial parameters. The only relevant difference with respect to the cited works resides in the buttocks vertical stiffnesses and dampings: the reference vertical stiffness used in this work is 58.8 kN/m and a proportional damping, with factor 0.025, is introduced. The resulting damping is 1.47 kNs/m. The rotational reference stiffness is 7.40 kNm/rad in the two allowed directions (about the local x axis, i.e. in the coronal plane, and about the local y axis, i.e. in the sagittal plane) and the same proportional damping factor used for the vertical direction is applied, resulting in an isotropic rotational damping of 0.185 kNms/rad.

To adapt the FEM and the MBD models to represent subjects with different anthropometric characteristics, a scaling procedure has been implemented²⁵. It is based on a parametric ribcage model published by Shi et al.²⁶, able to estimate the most plausible geometry of the ribcage taking as input the generic anthropometric parameters age, gender, height, and weight. It has been built identifying the position of 464 landmarks along the ribs of 89 subjects and applying a Principal Component

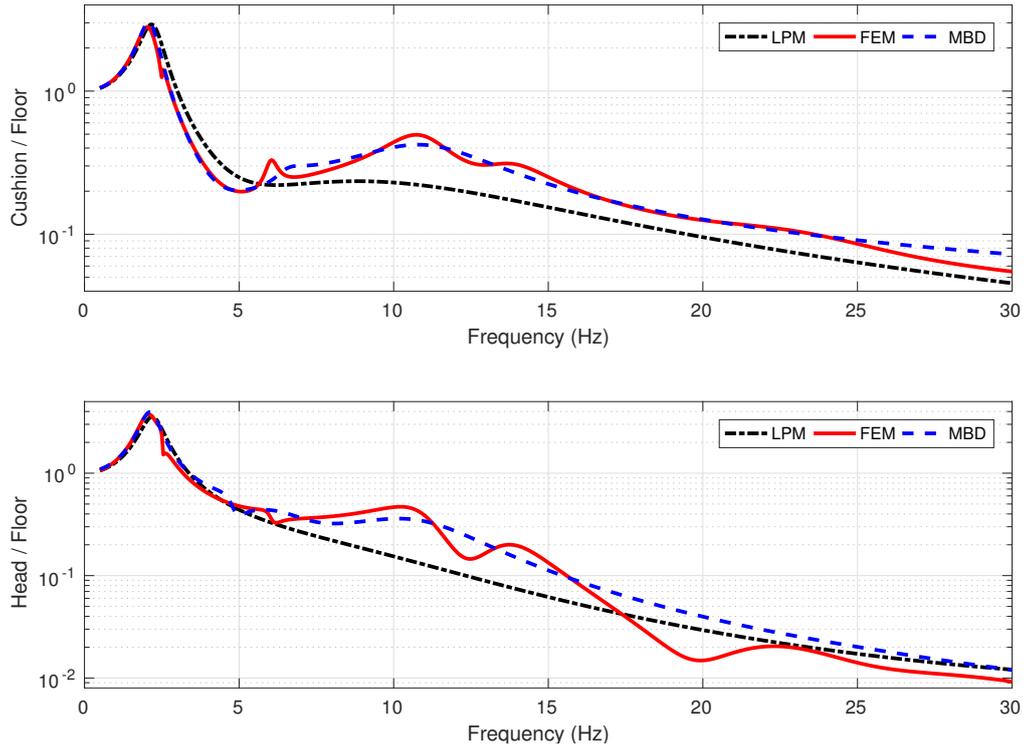


Figure 7: Frequency Response Function of three biodynamic modeling techniques coupled with seat.

Analysis (PCA) to the resulting dataset.

A parametric NURBS curve representing the spine axis is then fitted, in the thoracic part, to the ribcage model, using the estimated locations of the ribs heads as control points. The remaining parts of curve are adapted by simply scaling the reference shape, identified using the vertebræ positions of the *erect* pose of the Kitazaki and Griffin model¹⁰.

An estimated ribcage geometry has been fitted to the geometry of the Kitazaki and Griffin model, thus identifying the corresponding most probable anthropometric dataset of the reference subject, i.e. a 34 years old male, 1.78 m tall weighting 84 kilograms, for a BMI of approximately 26.5. Comparing the estimated ribcage dimensions with the one of the reference subject, scaling factors along the three dimensions $\lambda_x, \lambda_y, \lambda_z$ are calculated. They are subsequently used to estimate the variation of the model parameters (for both the MBD and the FEM model) with respect to the reference values. The simple procedure employed is here exemplified taking into account the axial stiffness, i.e. considering its order 0 representation and scaling it through simple dimensional analysis as follows:

$$(8) \quad K'_a \sim \frac{EA'}{L'} = \frac{EA}{L} \cdot \frac{\lambda_x \lambda_y}{\lambda_z} = K_a \frac{\lambda_x \lambda_y}{\lambda_z}$$

where K'_a represents the value of the axial stiffness of the subject to be modeled, while K_a represents

the reference value. Other parameters are scaled following similar considerations.

4. RESULTS AND DISCUSSION

This section presents the results of the isolated human-seat-cushion model first. Then, the vibrational level is presented for the coupled human-interface-helicopter high-fidelity model. For both the isolated and the coupled analysis, two criteria are used. The first one is the accelerations at the interface, i.e. the cushion surface, which are used for comfort assessment standards²⁷. The other one is the head accelerations, which is a big concern, especially considering that helmets are becoming heavier and heavier due to the installation of vision enhancement equipment⁴.

4.1. Isolated Interface-Human

First the LPM, FEM and MBD models of human biodynamics are compared for the isolated seat-cushion and human system without the effect of helicopter dynamics. Fig. 7 presents the response of cushion and head as a result of an excitation coming from the floor. It can be observed that the general trend is the same and all the three techniques capture the largest peak near 2.5 Hz. Additionally, MBD induces a smooth gain, whereas FEM induces

several more peaks. As compared to LPM, the MBD model has a larger gain except under 5 Hz. FEM shows the same behavior for the cushion acceleration; however, for the head acceleration, it can result in higher or lower gain depending on the frequency of interest.

4.2. Coupled Interface-Human-Helicopter

The high-fidelity baseline helicopter model is built based on data representative of a generic, medium weight helicopter with an articulated 5 blade main rotor. A snapshot of the physical kinematic variables of the virtual helicopter model is shown in Fig. 8. The state-space model includes:

- rigid body degrees of freedom;
- flight mechanics derivatives of the airframe, estimated using CAMRAD/JA;
- elastic bending and torsion modes of the airframe extracted from NASTRAN, with 1.5% proportional structural damping superimposed in MASST;
- the first two bending and first torsion modes of the main and tail rotors including aerodynamic matrices in multiblade coordinates obtained using CAMRAD/JA;
- transfer functions of main and tail rotor servo actuators directly formulated in Matlab/Simulink, considering servo-valve dynamics and dynamic compliance²⁸;
- the nodes and coordinates for the sensors and the forces, directly defined in MASST.

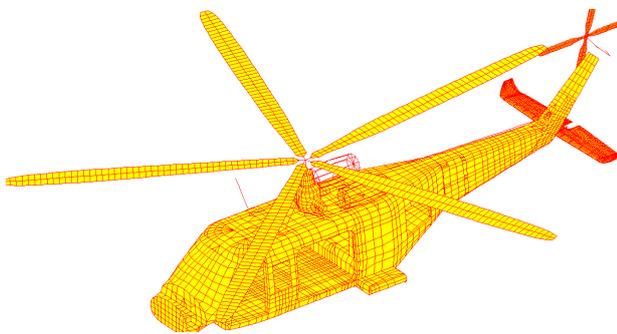


Figure 8: Physical degrees of freedom of the baseline virtual helicopter model.

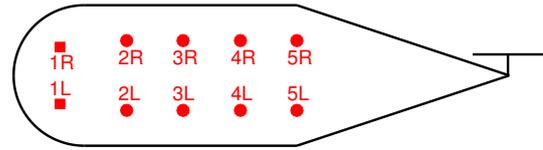


Figure 9: Distribution and labels of seat attachment points on cabin floor

The vibration performance of the coupled human-interface-helicopter model can be evaluated at any point on the cabin floor. However, in order to prevent an arbitrary selection, 10 seats are assembled into the cabin with a uniform distribution as shown in Fig. 9. On these seats, the biodynamic models are added, representing 2 pilots in the cockpit and 8 crew/passengers in the cabin. Based on the the accelerations at these 10 points on the cabin floor, an output vector \mathbf{y} is defined as:

$$(9) \quad \mathbf{y} = \begin{Bmatrix} \ddot{z}_{cockpit,1} \\ \ddot{z}_{cockpit,2} \\ \ddot{z}_{cabin,1} \\ \vdots \\ \ddot{z}_{cabin,n} \\ \vdots \\ \ddot{z}_{cabin,8} \end{Bmatrix}$$

where at each location, \ddot{z} gives the vertical accelerations either of the cushion or of the head. Then, the square of the norm of the accelerations, divided by the number of measurements, is defined as the vibration index, namely:

$$(10) \quad VI = \frac{\sqrt{\mathbf{y}^T \mathbf{y}}}{10}$$

The biodynamic models obtained using the three techniques are added to the aeroservoelastic helicopter model. At the ten locations on the cabin floor shown in Fig. 9 the accelerations are computed and the vibration index is collected. Fig. 10 shows the results when the acceleration is measured at the cushion surface. All the three models predict the vibrational level within the same order of magnitude, with similar trends. Also, when compared with the isolated response shown in Fig. 7, the peaks other than the first one slightly above 2 Hz, are related to the airframe.

Figure 11 presents the same results for the head acceleration. In this case, there are more differences between the models than in the case of cushion acceleration. A probable explanation is that the flexibility of the spine participates in the head response more than it does for the cushion surface.

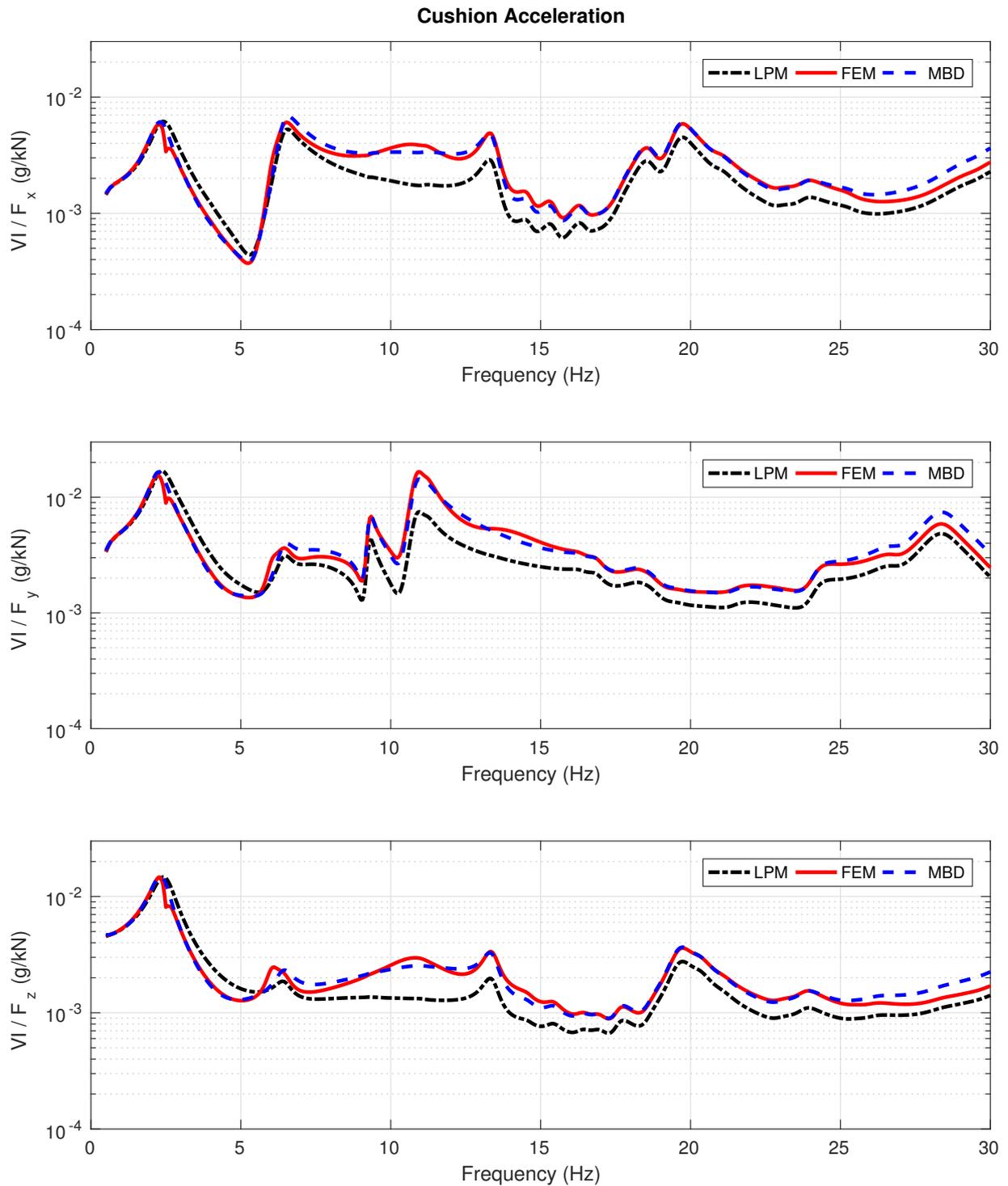


Figure 10: Averaged Frequency Response Function of three biodynamic modeling techniques coupled with seat and helicopter between longitudinal (F_x), lateral (F_y) and vertical (F_z) unit hub forces and the cushion surface.

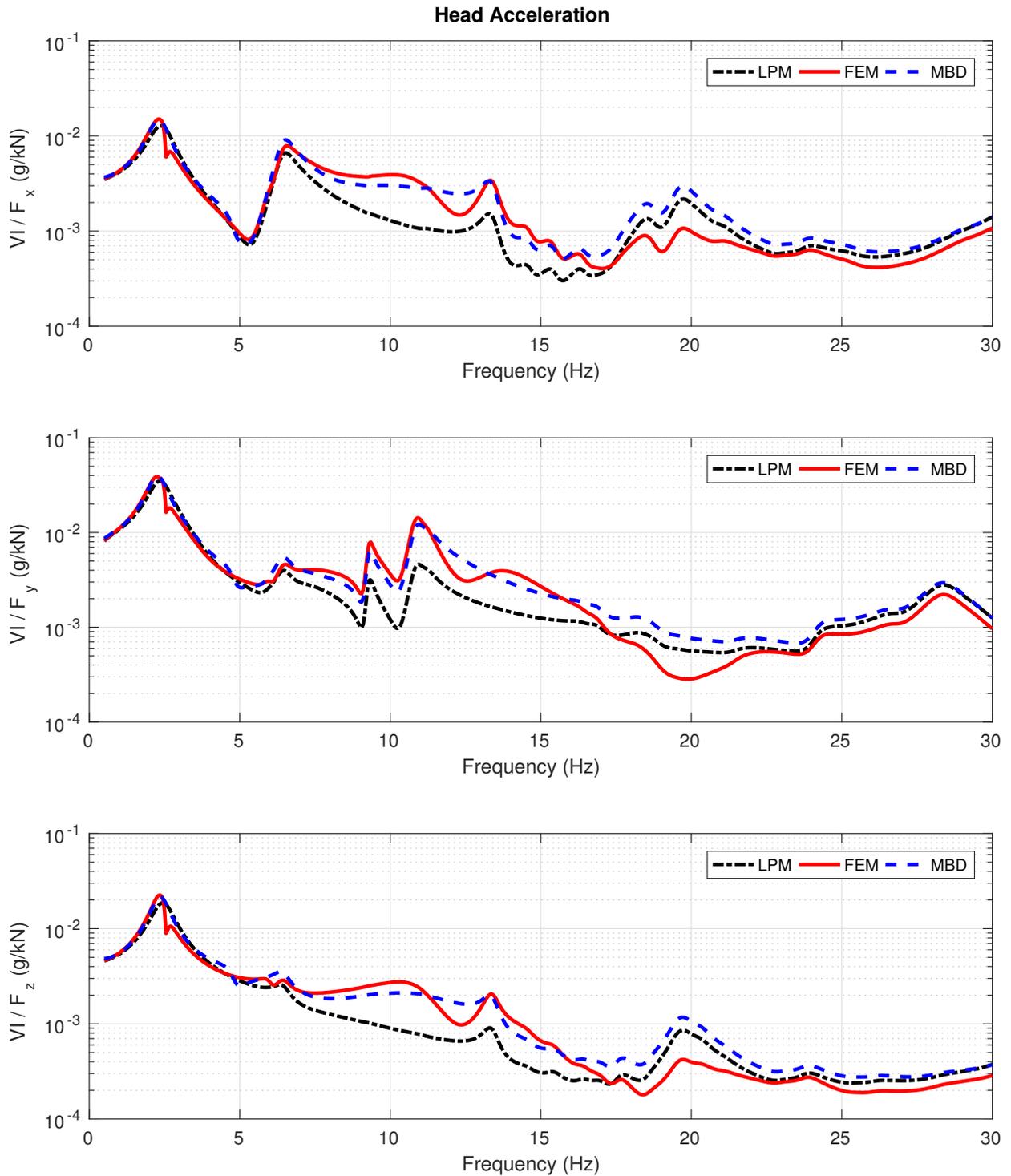


Figure 11: Averaged Frequency Response Function of three biodynamic modeling techniques coupled with seat and helicopter between longitudinal (F_x), lateral (F_y) and vertical (F_z) unit hub forces and the head.

5. CONCLUSION

The three techniques of human biodynamic modeling are compared in vertical sitting postures for rotorcraft comfort evaluation, namely lumped parameter (LPM), finite element (FEM) and multibody dynamics (MBD). In brief:

- all the three techniques are determined based on the same gender, age, height, and weight percentile of the population, to make the comparison realistic;
- the biodynamic models are coupled to high-fidelity aeroservoelastic model with a seat-cushion interface;
- LPM relies on experimental data for the identification of the model, therefore it has limited adaptation when the target population digresses from the average of the identified group;
- the LPM is easier to formulate and implement; however LPM cannot provide detailed analysis; the strain between two vertebra of the spine. If more detailed information are required in addition to acceleration of major body parts; FEM or MBD should be selected;
- the acceleration at the cushion shows similar trends; responses are within the same order of magnitude, therefore it is not easy to justify the modeling and computational cost of FEM and MBD models when the aimed point is the human interface surface;
- the dynamics of the spine plays a more significant role for head accelerations, therefore FEM or MBD is a better choice than LPM when upper body segments are of interest;
- further experimental and computational investigation is necessary to validate the findings of this paper.

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REFERENCES

- [1] Wayne Johnson. *Rotorcraft Aeromechanics*. Cambridge University Press, New York, 2013.
- [2] Kristin L. Harrer, Debra Yniguez, Maria Majar Maria, David Ellenbecker, Nancy Estrada, and Mark Geiger. Whole body vibration exposure for MH-60s pilots. In *43th SAFE*, Utah, USA, 2005.
- [3] Tobias Rath and Walter Fichter. A closer look at the impact of helicopter vibrations on ride quality. In *AHS 73rd Annual Forum*, Forth Worth, TA, USA, May 9–11 2017.
- [4] Andrew H. Law, Heather E. Wright Beatty, Jocelyn Keillor, and Viresh Wickramasinghe. Pilot head and neck response to helicopter whole body vibration and head-supported mass. In *AHS 73rd Annual Forum*, Forth Worth, TA, USA, May 9–11 2017.
- [5] W. Johnson. A history of rotorcraft comprehensive analyses. TP 2012-216012, NASA, April 2012.
- [6] Prasad Bhagwan Kumbhar, Peijun Xu, and Jingzhou (James) Yang. A literature survey of biodynamic models for whole body vibration and vehicle ride comfort. In *2012 ASME DETC*, Chicago, IL, August 12–15 2012.
- [7] Y. MATSUMOTO and M.J. GRIFFIN. Comparison of biodynamic responses of standing and seated human bodies. *Journal of Sound and Vibration*, 238(4):691 – 704, 2000.
- [8] Michael J. Griffin. The validation of biodynamic models. *Clinical Biomechanics*, 16:S81 – S92, 2001.
- [9] Navid Mohajer, Hamid Abdi, Saeid Nahavandi, and Kyle Nelson. Directional and sectional ride comfort estimation using an integrated human biomechanical-seat foam model. *Journal of Sound and Vibration*, 403:38 – 58, 2017.
- [10] S. Kitazaki and M.J. Griffin. A modal analysis of whole-body vertical vibration, using a finite element model of the human body. *Journal of Sound and Vibration*, 200(1):83 – 103, 1997.
- [11] Pierangelo Masarati, Giuseppe Quaranta, and Andrea Zaroni. Dependence of helicopter pilots' biodynamic feedthrough on upper limbs' muscular activation patterns. *Proc. IMechE Part K: J. Multi-body Dynamics*, 227(4):344–362, December 2013. doi:10.1177/1464419313490680.
- [12] Pierangelo Masarati, Vincenzo Muscarello, and Giuseppe Quaranta. Linearized aeroservoelastic analysis of rotary-wing aircraft. In *36th European Rotorcraft Forum*, pages 099.1–10, Paris, France, September 7–9 2010.
- [13] Pierangelo Masarati, Vincenzo Muscarello, Giuseppe Quaranta, Alessandro Locatelli, Daniele Mangone, Luca Riviello, and Luca

- Viganò. An integrated environment for helicopter aeroservoelastic analysis: the ground resonance case. In *37th European Rotorcraft Forum*, pages 177.1–12, Gallarate, Italy, September 13–15 2011.
- [14] Roy R. Craig, Jr. and Mervyn C. C. Bampton. Coupling of substructures for dynamic analysis. *AIAA Journal*, 6(7):1313–1319, July 1968.
- [15] Young-Tai Choi and Norman Wereley. Biodynamic response mitigation to shock loads using magnetorheological helicopter crew seat suspensions. *Journal of Aircraft*, 42(5):1288–1295, 2005.
- [16] Xian-Xu Bai, Shi-Xu Xu, Wei Cheng, and Li-Jun Qian. On 4-degree-of-freedom biodynamic models of seated occupants: Lumped-parameter modeling. *Journal of Sound and Vibration*, 402:122 – 141, 2017.
- [17] P.-É. Boileau and S. Rakheja. Whole-body vertical biodynamic response characteristics of the seated vehicle driver: Measurement and model development. *International Journal of Industrial Ergonomics*, 22(6):449 – 472, 1998.
- [18] Satoshi Kitazaki and Michael J. Griffin. Resonance behaviour of the seated human body and effects of posture. *Journal of Biomechanics*, 31(2):143–149, February 1998. doi:10.1016/S0021-9290(97)00126-7.
- [19] Ted Belytschko and Eberhardt Pritzer. Refinement and validation of a three dimensional head-spine model. Technical Report Contract AF-33615-76-C-0506, Air Force Systems Command, Wright-Patterson Air Force Base, Ohio, 1978.
- [20] Pier Paolo Valentini and Ettore Pennestrì. An improved three-dimensional multibody model of the human spine for vibrational investigations. *Multibody System Dynamics*, 36(4):363–375, April 2016. doi:10.1007/s11044-015-9475-6.
- [21] Pierangelo Masarati, Marco Morandini, and Paolo Mantegazza. An efficient formulation for general-purpose multibody/multiphysics analysis. *J. of Computational and Nonlinear Dynamics*, 9(4):041001, 2014. doi:10.1115/1.4025628.
- [22] P. P. Valentini. Virtual dummy with spine model for automotive vibrational comfort analysis. *International Journal of Vehicle Design*, 51(3–4):261–277, 2009. 10.1504/IJVD.2009.027956.
- [23] Pier Paolo Valentini. Modeling human spine using dynamic spline approach for vibrational simulation. *Journal of Sound and Vibration*, 331(26):5895–5909, 2012. doi:10.1016/j.jsv.2012.07.039.
- [24] Pierangelo Masarati and Giuseppe Quaranta and Andrea Zanoni. A Detailed Biomechanical Pilot Model For Multi-Axis Involuntary Rotorcraft-Pilot Couplings. *41st European Rotorcraft Forum*, Munich, Germany, September 1-4, 2015.
- [25] Andrea Zanoni and Pierangelo Masarati. Geometry generation and benchmarking of a complete multibody model of the upper limb. In *Fourth Joint International Conference on Multibody System Dynamics - IMSD 2016*, Montréal, Québec, Canada, May 29 - June 2 2016.
- [26] X. Shi, L. Cao, M. Reed, J. Rupp, C. Hoff, C. Hoff, and J. Hu. A statistical human rib cage geometry model account for variations by age, sex, stature and body mass index. *Journal of Biomechanics*, 47:2277–2285, 2014.
- [27] ISO. ISO mechanical vibration and shock - evaluation of human exposure to whole-body vibration. Technical Report ISO2631-1, ISO, June 1997.
- [28] Herbert E. Merritt. *Hydraulic Control Systems*. John Wiley & Sons, New York, 1967.