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VIBRATIONS OF HELICOPTERS OF "MI" FAMILY. INVESTIGATION, VIBRATION ABSORBERS APPLICATION, BUFFET

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ABSTRACT

Physical and mathematical models used to resolve the problem of rotor-and-support system coupled oscillations are considered in this paper. These models take Jnto account the variety of blade-to-bub attachment conditions and blades natural

The results of research of VJbro- ·condition and vibration absorbers application are analised. Special attention was given to analysis of non-linear effects and pendulum swing friction minimization. **Now** is the time for mass scale use of vibro-absorbers both on the Mi-8 basic

tWJS!.

model and on prototypes. **"Ml'** famJiy helicopters have found theJr second sprJng 25 years after the first prototype maiden fl igbt.

Also presented are the results of flight helicopter vibro- condition analysis at high flight speeds including those for A-10 helicopter in its record flight with the use of vibro- absorbers at the airspeed of 368.4 kmpb. The study and the identification of unsteady lateral vibrations which mostly occur on Ki-8 helicopter family have brought us to the understanding of helicopter buffet.

ROTOR AND FUSELAGE COUPLED OSCILLATIONS.

VIBRATIONS.

Helicopter dynamics investigation calls for examination of the coupled oscillations of the rotor and fuselage as elastic support. This paper shows the application of dynamic stiffness method to the stiffness axes direction. Due to calculation of rotor-and-support system coupled oscillations.

A rotor has three or more identical blades evenly positioned over the rotor disc. each has the same type of attachment to the hub. The method enables to examine any combination of articulated or stiff blade-to-hub attachment, conditions in thrust and rotation planes (the flapwise and chording directions) as

dampers and other damping devices $[Ref.4]$.

The rotor blades are being deformed in the sections main blade natural twist the main stiffness axes form a spiral surfaces. The *axis* of an undeformed blade is a straight line. For such a model flapwise and chordwise blade oscillations are coupled owing to the blade twist and non-zero pitch angle even when there *is* no oscillation coupling through the support (the fuselage) .

well as the use of so-called lag the weightless sections of constant The schematic beam consisting of

 $\langle B_{\rm A} \rangle_{\rm{max}}$

 \mathbf{X}

profile with discrete weights on their bounds is used as computation model. Sections lengths. stiffness values in the direction of main rigidity axes and sections pitch angles to the axes of the hub are chosen as an approximation of corresponding values of the real blade.

Within the limits of dynamic stiffness method we represent the system as two parts - one as rotating rotor and the other as stationary elastic support (fuselage). Small displacement of the system at the place of its joint (at the rotor shaft) are defined by the following expression:

$$
\vec{\delta}(t) = \vec{\xi}_e e^{ipt} \qquad (1)
$$

where \mathcal{S}_0 { X, Y, Z, x, y, z } is a deformation amplitude vector. Its components are the complex values of displacements and angles.

Natural oscillations are defined by equilibrium conditions for non- -rotating coordinate system:

$$
(C + D) = 0 \tag{2}
$$

Natural oscillations frequencies are found from the equation: following

> det $(C + D) = 0$ (3)

where C and D are the matrixes of dynamic stiffness coefficients of the fuselage (support) and the rotor correspondingly.

The coefficients of C matrix are defined by finite element method on beam or combined model using shell. beam. frame or rod elements. An extrapolation of the results of the measurements on prototypes is also applied. The rotor dynamic stiffness coefficients of D matrix are defined in accordance with [Ref.3] by the following expression:

$$
D = G_0 Dw(p)G_0 + G' Dw(p_1)G' + GDw(p_2)G
$$

where Dw(p) =
$$
\sum_{\kappa=1}^{n} \Delta_{\kappa}^{-1} D_{\beta}(p) \Delta_{\kappa}
$$

arguments

and similar expressions for the

(4)

$$
p_t = p-w \quad ; \quad p_2 = p+w
$$

where $w -$ rotor angular velocity; $n - number of blades;$

- Δ_{κ} matrix of coordinate transformation to the axes system connected with the blade number "k".
	- Db = blade dynamic stiffness matrix with pitch angle and angular velocity "w"

and the special matrixes G_oand G for linear displacements of the rotor center have a form

$$
G_{\bullet} = \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix} \quad G = \begin{bmatrix} 1/2 & -1/2 \\ 1/2 & 1/2 & 0 \\ 0 & 0 & 0 \end{bmatrix}
$$

 $(G - transpositioned)$

As one can see from the expression (4) D matrix consists of three items each being a similarity from rotating to
cordinate system of non-rotating coordinate system the corresponding component of rotor dynamic response vector. depending on one of two combination frequencies " p ± **w** " or of frequency "p".

Fig. 1 shows the solution of equation (3) for the most typical case when the hub is moving along
the rotation plane only. The the rotation plane only. results are presented as a function of natural oscillations frequency versus mean value of support The parameter is support anisotropy coefficient (Cx/Cz ratio).

G3 *-2-*

In some cases the influence of
anisotropy is significant, is significant,
when there is the particularly when there is the
greatest influence of support greatest influence of support
stiffness on the whole. The stiffness asymptotes on the picture are defined
by antiresonances when the blade by antiresonances when the dynamic stiffness becomes infinite. difference between the two
sponding asymptotes is 2w. corresponding asymptotes Singular points B on the picture correspond to such an oscillation mode when the rotor center is moving in a circle due to antiresonance at one of the combination frequencies. This type of motion belongs to the whole family of the curves crossing the B points irrespective of
anisotropy level. In the general anisotropy level. case when oscillations of any natural mode occur the rotor center is moving along the ellipse and the blades are
oscillating with two frequencies with two frequencies $(p \pm w)$ at once.

A characteristic feature of the oscillations of interest is their dependence on the blade pitch angle as shown on fig. 2.

This is explained by the fact that the share of the blade oscillations in the least stiffness plane changes with the pitch angle increase.

The present results were obtained under normalized values of external loading which vector corresponds to
the oscillations with $(p - w)$ with $(p - w)$ combination frequency. The diagram on fig. 3 shows the influence of. rotor angular velocity on its resonance characteristics *in* the f vibration
, frequency.

$$
p = p/w = 5
$$

~ig. *3*

These circumstances specified vibration level *in* the cockpit at 16 Hz frequency for the Mi-8 heljcopter family to be never more than 0.3 g at cruise and 0.4 g at maximum airspeed. At the same time this level for the helicopters throughout the fleet might differ by two times. This vibration level was considered satisfactory for the period of 1960
- 1970.

VIBRATION ABSORBERS

A we 11-known tendency of comfort level improvement and vibration level reduction have brought us to the understanding of the need to develop the vibration absorbers, as it was the case with many other helicopter designers.

The *Mi-8* helicopter prevailing load components which cause fuselage oscillations with vibration harmonics are the forces acting in the plane of rotation with 4w frequency. Therefore the application of vibro- -absorber tuned to the 4th harmonic

solves the problem of vibration reduction for the frequency of the fundamental vibration harmonic and provides the desirable comfort level. Thus, in addition to the well-known filtering properties of the rotor we
insulate the fuselage from fuselage traditional vibration harmonics of the load - from the fundamental 5th harmonic (16 Hz) in this particular case.

Among various possible design solutions the preference should be given to the pendulum type dynamic vibro-absorbers installed on the main
rotor. Pendulum absorbers 'keep absorbers 'keep
.
der any rotor required tuning under any angular velocity due to the linear dependency of pendulum oscillations natural frequencies versus angular velocity and therefore their functional efficiency keeps being rather high. Their installation on the rotor proves to be beneficial in
terms of the exciting forces of the exciting forces balancing at the place where they are applied.

While developing vibro-absorbers the main attention was given to minimization of friction when the pendulum is swinging which promised
the greatest effect in dynamic the greatest effect in dynamic
response with minimal pendulum response with minimal
weight. The positive The positive result was
through selection of achieved through selection of required surface geometry in bifilar pendulum suspension and by means of proper selection of cone negative angle as shown on fig.4. that removes the lateral thrust washer.

For the purpose of proper pendulum weight selection and for fine tuning procedures the analysis of pendulum forced oscillations modes stability with regard for non-linear dependency of righting moments versus deflection angle has been performed. It is known that when the deflection amplitudes
are large these moments are are 1 arge these moments are proportional to $\text{Sin}\,\mathfrak{f}$. The results of this analysis are presented on fig.5. One can see that the resonance peak
shifts towards lower frequencies as shifts towards lower frequencies as
amplitude increases. This fact increases. This fact
taken into account to should be taken into account
obtain the large pendu obtain the large pendulums
oscillation amplitudes and the amplitudes stability of the operation at the
same time. When the oscillation oscillation amplitudes are higher than 0.8 the operating efficiency starts to drop
rapidly because of the mode because of the mode
ty or even circular instability or even pendulums motion.

Using the results of the above-
-mentioned investigations a investigations a favourable positive effect of up to 10 times reduction of the vibration level has been obtained for the parameters chosen with active mass weight of about 0. 4% of TOW. This effect compared with initial level is shown on fig. 6,7 as a function of cockpit vibration level versus helicopter airspeed and spectral density of vibration level around the frequency of 16 Hz (i.e. 5th harmonic). Similar effect has been
achieved for practically all the achieved for practically all structural elements of the fuselage and equipment. Besides the smoother ride this situation provides a

significant effect of units life-time increase life-time of the airframe. structural up to the

THE SPECTRUM OF VIBRATIONS IN THE COCKPIT AT CRUISING AIRSPEED

25 years after the maiden flight of the first prototype Mi-8
helicopters nowadays are going helicopters nowadays are going through their second youth. At present about a thousand of such a vibration absorbers are being operated on the basic helicopter mcxiel as well as on its Mi-SMT, Mi-17 and Mi-14 modifications.

The application of vibro-absorbers is naturally related to achievement of high airspeeds of about 350 - 400
kmph by a helicopter. We came across kmph by a helicopter. this problem in 1979 during the preparation of the world speed record flight on the A-10 helicopter. This helicopter unlike its prototype Mi-24 had to be prepared for this flight in the configuration without a wing for various reasons. This circumstances must have redoubled the problem of the alternative loads and vibration growth with airspeed increase over 340 kmph. The obstacle on the way to further increasing of airspeed in our case was the loss of comfort and piloting conditions as strength. Permissible vibration level and the ability to reach a record for that time airspeed of 368.4 kmph could be only achieved through installation of vibro-absorber on this helicopter. Fig. 8 shows vertical vibro- -accelerations in the cockpit compared with initial values.

The case is worth emphasizing because the vibro-absorber used was not a specially designed one. It was a modified vibro-absorber Mi-8 helicopter. Therefore, the pendulums oscillations didn't coincide with the optimum mode and the critical amplitude values were exceeded so the result obtained was only minimum of required. At the same time the analysis of the conditions to perform speed record flights without the use of propulsive devices shown on fig. 9 indicates that the problem of vibration level has always accompanied this progress or was one of the main obstacles on the way.

In every example shown one can see a wing and/or vibro-absorber used and in case of G-Lynx record helicopter there are also special
aerofoils [Ref.6]. The solution of $aerofoils$ $[Ref.6]$. this problem will become even more
topical for the future speed topical records.

LATERAL VIBRATIONS

The study and identification.of
teady lateral vibrations have unsteady lateral been an important area in solution
of vibration problems of the vibration helicopter group under consideration.

The specific features of such a vibration type were the following:

1) Casual nature of their appearance. Though some of them have gained a very bad reputation.

2) Their occurrence, in the main, at medium flight speeds with no correlation to atmospheric turbulence along the flight route or aircrew actions.

3) The oscillations occur with

the frequencies close to the lowest tone in the lateral plane but with a quite broad spectrum band.

The features mentioned along with specific perception by the crew of the lateral accelerations have been arising a psychological discomfort and expectation of defect.

A numerous investigations and
flight experiments with several experiments with several
ers have been performed helicopters have during a considerably long period of time. As a result about a dozen of the versions explaining the origin of the phenomenon has been studied. The basic ones are shown on table 1:

TABLE 1 (CONTINUATION) MODELS AND VERSIONS FOR LATERAL OSCILLATIONS ANALYSIS

The latter version on the list
has been accepted as being has been accepted as *being* corroborated *by* the evidence. The phenomenon has lost its fearing mysteriousness. required

Below are the main findings of the investigation.

Fig. 11-13 presents the level of oscillations versus flight speed, vertical descent velocity or climb rate and slip angle. The spectrum
of vibrations measured and of tail vibrations measured and of tail boom bending moments as well as their distribution along the fuselage prove the phenomenon to be a form of natural bending-torsional lateral oscillations of the fuselage by its lowest form with a frequency of about 4,5 Hz.

Besides, the evaluation of the decrements of excited oscillations has been performed by two different methods. In the first case the harmonic signal of required frequency and amplitude has been fed *by* an electric signal generator through an autopilot to the jaw control actuator. Owing to actuator rod travel and corresponding tail rotor

thrust variations the oscillations being considered have been excited. The decrement has been determined by the attenuation of the transient after the excitation were switched off.

In the other case the decrements have been determined using vibration spectral density function (the same way as by resonance peak width for one-degree-of-freedom system). To obtain a reliable spectrum when processing the result of vibration measurements the smoothing methods (to obtain smooth functions) were used and averaging *time* chosen was 40 sec and more.

Both methods used gave practically
the identical results, which identical results, which convinced us additionally that the system (i.e. the helicopter) didn't have any signs of self-oscillations.

The analysis of the result obtained allowed to suggest the availability of turbulent flow kernel passing through *in* the neighbourhood of tail rotor.

The analysis of the airflow motion

 $\frac{3}{2}$

and its pattern in vicinity of the tail rotor has been made using filming by two cameras. One camera was placed on the tail gearbox case showing a panorama of main rotor head, cowlings and engine exhaust pipes from the rear. The other one was on the board of the helicopter

flying in parallel to the test machine. A forty-eight shots per second filming frequency proved to be sufficient. Flow visualization was
realized by means of remoterealized by means -controlled smoke generators (smoke pots) as shown on fig. 10.

Fig.lO FLIGHT EXPERIMENT FDR BUFFET STUDY

The results of shooting have shown direct correlation between the lateral vibrations level and position of visualized flow against the tail rotor. The correlation gave one of the main evidences in favour of this version. Besides, the film enabled to define the frequency of vortex rotation which was found to be almost the same as the frequency of fuselage lateral oscillations. This fact largely predetermined the appearance
of such a vibrations on Mi-8 such a vibrations on Mi-8 helicopter.

High accuracy of the results was reached due to control of rotor blade passage on the film sequences. This result gave us a second proof of the version being analyzed.

The third witness we have obtained from the experiment with installation of aerodynamic fences on the cowlings (fig. 10). The purpose of the fences
installation was to reduce the installation was to intensity of vortex formation and to
modify the spectrum of flow spectrum of flow velocities. Test results are shown on fig. 12 compared with the initial variant. One can see that the level of lateral oscillations has been reduced by two or three times, no dependence on slip angle can be seen any more. Thus, the vibration level remained can be practically estimated as background one.

At the same time this third feature has shown the approach how to solve similar problems on newly

designed helicopters. For example when designing the Mi-26 helicopter a number of wind tunnel experiments has been carried out on a scaled
helicopter model to identify the helicopter model to identify the
points of vortex formation, to points of vortex formation. to choose the optimum outlines of the cowlings and fuselage tail.

We were much interested to see the paper on similar problems from the other helicopter companies at the 17th European Forum [Ref.5].

A SYSTEM OF ARGUMENTS AND CONCLUSIONS

1. Lateral oscillation decrement values are large enough (about $n = 0.07$) and are equal to the damping values defined by a spectral density function of natural oscillations.

2. Maximum oscillations occur under such a combination of horizontal and vertical flight velocities as well as pitch and slip angles, when the flow from helicopter cowlings and rotor head runs into tail rotor disk area.

3. The frequency of vortex rotation and associated velocity pulsations are close enough to fuselage natural frequency.

4. The destruction of the vortex wakes from cowlings and head reduces the lateral oscillations level down to its complete disappearance

1. Риз П. М., Пожалостин А. И. "Вибрации и динамическая

- 2. Гродко Л. Н. Вибрации вертолета в книге "Вертоле-ты: расчет и проектирование" т. 2 М. Машиностроение 1967
- 3. Мягков Ю. А. "О применении метода динамической жесткости к решению задачи о собственных колебаниях винта на упругом анизотропном основании" Прочность и долговечность авиационных конструкций Вып. 6 Киев 1973
- 4. Myagkov Y.A. "Some comments on tail rotor ground resonance problem" 18 ERF, p. 22
- 5. C. Mazzuccelli, E. T. Wilson "The achievement of aerodynamic goals on the EH-101 project through the
"Single Site" concept" 17 ERF, 91-06
- 6. D. E. H. Balmford, B. S. Bender "The Compound Helicopter-- a concept revisited" 17 ERF, 91-07

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